## SFTY 470

## Advanced Occupational Safety and Health Technology

## REVIEW OF SAFETY MATH

## TRIGONOMETRIC FUNCTIONS

500 m
Example 1: A field is 0.5 kilometers long and 350 meters wide. You need to install a pathway across the field diagonally from corner to corner. What is the length of the pathway?

Solve: Method 1

$$
\mathrm{a}=350 \mathrm{~m} \quad \mathrm{~b}=500 \mathrm{~m}
$$

$$
\begin{aligned}
& c^{2}=a^{2}+b^{2}(\text { Pythagorean theorem }) \\
& a^{2}=122,500 \\
& b^{2}=250,000 \\
& c^{2}=122,500+250,000=372,000 \\
& c=610 .
\end{aligned}
$$

## Method 2

$$
\tan \mathrm{A}=\mathrm{a} / \mathrm{b}=350 / 500=0.7
$$

$$
\text { using the Trig Table: } \mathrm{A}=35^{\circ}
$$

$$
\sin 35^{\circ}=\mathrm{a} / \mathrm{c}
$$

$$
0.5736=350 / \mathrm{c}
$$

$$
c=350 / 0.5736=610.18
$$

The pathway is 610 meters long.
Example 2: A crane is picking up a block weighing 1,500 pounds with a two-legged sling rated for 2,000 pounds. When attached to the block the sling legs form an angle at the lift ring of $100^{\circ}$. Can this sling safely life the load? What rating does the "minimum" sling need to be (to a hundred pounds)?


Solve: First consider one leg of the sling. Drop a line vertically down from the lift ring creating a
 right triangle consisting of the vertical line, the top of the block, and the sling leg. The angle at the lift ring is $50^{\circ}$ (half of $100^{\circ}$ ) and the adjacent side (the vertical line) has a value of 750 lbs (half of 1,500 lbs).
$\cos \mathrm{A}=$ adjacent $/$ hypotenuse
$\cos 50^{\circ}=750 / \mathrm{leg}$
$0.64279=750 /$ leg
$\operatorname{leg}=750 / 0.64279$
$\operatorname{leg}=1,166.77$
2 legs $=2,234 \mathrm{lbs} \quad$ the 2,000 pound sling will not work.
Minimum sling rating for the load is $2,300 \mathrm{lbs}$.

## QUADRATIC EQUATION

http://www.chem.tamu.edu/class/fyp/mathrev/mr-quadr.html
Form: $a x^{2}+b x+c=0$

Example: $6 \mathrm{x}^{2}+2 \mathrm{x}-4=0$
Solve:

$$
x_{1}, x_{2}=---------------\frac{\sqrt{b^{2}-4 a c}}{2 a}
$$

Substitute:

$$
x_{1}, x_{2}=\frac{-2 \pm \sqrt{2^{2}-(4 \bullet 6 \bullet-4)}}{2 \cdot 6}
$$

Simplify:

$$
\begin{gathered}
x_{1}, x_{2}=-2 \pm \sqrt{4-(-96)} \\
x_{1}, x_{2}=-----12 \pm 10 \\
12
\end{gathered}
$$

$$
\mathrm{x}_{1}, \mathrm{x}_{2}=\frac{-2 \pm \sqrt{100}}{12}
$$

$$
\mathrm{x}_{1}, \mathrm{x}_{2}=\frac{8,-12}{12}
$$

Answer: $\quad \underline{x}_{1}=0.667, \quad \underline{x}_{2}=-1$

## GEOMETRIC FORMULAS

Circle $\mathrm{C}=\pi \mathrm{D} \quad$ where: $\quad \mathrm{C}=$ circumference $\quad \mathrm{A}=$ area
$\mathrm{A}=\pi \mathrm{r}^{2}$
$\mathrm{D}=$ diameter
$r=$ radius

Example: A circle has a radius of 3 in . What is the circumference and area?
Solve: $\quad C=\pi \bullet(2 \cdot 3)=3.14 \cdot 6=\underline{18.84 \mathrm{in}}$.

$$
\mathrm{A}=\pi \cdot 3^{2}=3.14 \cdot 9=\underline{28.26 \mathrm{in}^{2}}
$$

Sphere $S=4 \pi r^{2} \quad$ where: $S=$ surface area $\quad V=$ volume $\mathrm{V}=(4 / 3) \pi \mathrm{r}^{3} \quad \mathrm{r}=$ radius
Example: A sphere has a diameter of 10 cm . What is the surface area and volume?
Solve: $\quad r=1 / 2 \mathrm{D}=10 / 2=5 \mathrm{~cm}$
$\mathrm{S}=4 \cdot \pi \cdot 5^{2}=4 \cdot 3.14 \cdot 25=314 \mathrm{~cm}^{2}$.
$\mathrm{V}=(4 / 3) \cdot \pi \cdot 5^{3}=1.33 \cdot 3.14 \cdot 125=\underline{2,189.45 \mathrm{~cm}^{3}}$.
Trapezoid: $\mathrm{A}=1 / 2\left(\mathrm{~b}_{1}+\mathrm{b}_{2}\right) \mathrm{h} \quad$ where: $\mathrm{A}=$ area $\quad \mathrm{b}_{1}, \mathrm{~b}_{2}=$ sides $h=$ height

Example: What is the area of a trapezoid shaped field that is 110 meters deep with one side 75 meters and its opposite side 95 meters?

Solve: $\quad A=1 / 2\left(b_{1}+b_{2}\right) h=1 / 2 \cdot(75+95) \cdot 110=(170 / 2) \cdot 110=\underline{9,350 \mathrm{~m}^{2}}($ or 0.935 hectare $)$
Answers above without units would be considered wrong.

## STATISTICS

## Standard Deviation

http://mathworld.wolfram.com/StandardDeviation.html

$$
\mathrm{s}=\sqrt{\frac{\sum\left(\mathrm{x}^{2}\right)}{\mathrm{N}-1}} \quad\left(\mathrm{x}=\mathrm{X}-\overline{\mathrm{X})} \quad \sigma=\sqrt{\frac{\sum\left(\mathrm{x}^{2}\right)}{\mathrm{N}}}\right.
$$

where: $s=$ standard deviation for a sample
$\sigma=$ standard deviation for total population
$x=$ value
$\mathrm{N}=$ number of values

Example: Find the standard deviation for the following values: 2, 5, 3, 7, 6, 4. What is the standard deviation if the series is the total population?
Solve: $\quad N=6$
Create a Table

| X | X | X | $\mathrm{x}^{2}$ |
| :---: | :---: | :---: | :---: |
| 2 | 4.5 | -2.5 | 6.25 |
| 5 | 4.5 | 0.5 | 0.25 |
| 3 | 4.5 | -1.5 | 2.25 |
| 7 | 4.5 | 2.5 | 6.25 |
| 6 | 4.5 | 1.5 | 2.25 |
| 4 | 4.5 | -0.5 | 0.25 |
| 27 |  |  | 17.50 |

Sum

$$
\overline{\mathrm{X}}=27 / 6
$$

Substitute: For Sample
For Total Population

$$
\mathrm{s}=\sqrt{\frac{17.5}{5}-----}
$$

$$
\sigma=\sqrt{\frac{17.5}{6}-----}
$$

Answer: $\quad \mathrm{s}=\sqrt{3.5}=\underline{1.87}$
$\sigma=\sqrt{2.92}=\underline{1.71}$

## Linear Regression

http://www.curvefit.com/linear_regression.htm

Example: Find the slope, y-intercept, and correlation coefficient for the following points:


$$
\begin{aligned}
& y=m x+b \text { where: } m=\text { slope } \\
& b=y \text {-intercept } \\
& r=\frac{N \Sigma(x y)-(\Sigma(x) \cdot \Sigma(y))}{\sqrt{\left[N \Sigma\left(x^{2}\right)-N \Sigma(x)^{2}\right] \cdot\left[N \Sigma\left(y^{2}\right)-N \Sigma(y)^{2}\right]}}
\end{aligned}
$$

| $\mathbf{3}$ | 4 | $\mathbf{1}$ | 4 | 4 |
| :---: | :---: | :---: | :---: | :---: |
| $\mathbf{6}$ | 1 | $\mathbf{2 . 5}$ | 0.25 | -0.5 |
| $\mathbf{7}$ | 4 | $\mathbf{3 . 5}$ | 0.25 | 1 |
| $\mathbf{3 . 5}$ | 2.25 | $\mathbf{3}$ | 0 | 0 |
| $\mathbf{2}$ | 9 | $\mathbf{0 . 5}$ | 6.25 | 7.5 |
| $\frac{\mathbf{4}}{\mathbf{4 5}}$ | $\frac{1}{28.5}$ | $\frac{\mathbf{2 . 5}}{\mathbf{2 7}}$ | $\frac{0.25}{24}$ | $\frac{0.5}{21.5}$ |
| $\Sigma(\mathrm{x})^{2}=2,025$ |  | $\Sigma(\mathrm{y})^{2}=729$ |  |  |
| $\mathrm{~N}=9$ |  |  |  |  |

Substitute:

$$
\begin{aligned}
& \mathrm{m}=\frac{1,408.5-1,215}{2,-\cdots--\cdots 1.5-2,025} \quad \mathrm{~m}=-\frac{193.5}{256.5} \\
& \mathrm{~m}=\underline{0.754}
\end{aligned}
$$

Substitute:

$$
\begin{aligned}
& \mathrm{b}=\frac{\Sigma(\mathrm{y})-\mathrm{m} \Sigma(\mathrm{x})}{\mathrm{N}}
\end{aligned}
$$

$$
\begin{aligned}
& b=\frac{27-33.95}{9} \\
& b=\frac{-6.95}{9} \\
& \mathrm{~b}=\underline{-0.772}
\end{aligned}
$$

Line is: $\quad y=0.754 x-0.772$

## Correlation Coefficient

http://www.uwsp.edu/psych/stat/7/correlat.htm\#I2

$$
\begin{aligned}
& \mathrm{N} \Sigma(\mathrm{xy})-(\Sigma(\mathrm{x}) \cdot \Sigma(\mathrm{y}))
\end{aligned}
$$

Substitute:
(9 • 156.5) - (45 • 27)
$r=----------------------------------------------$
$(1,408.5)-(1,215)$


$$
r=\frac{193.5}{235.4} \quad r=\underline{0.822}
$$

## MECHANICS

http://tutor4physics.com/formulas.htm

## Friction

$$
\begin{array}{ll}
\mathrm{F}=\mu \mathrm{N} \quad \text { Where } \quad & \mathrm{F}=\text { force parallel to the plane } \\
& \mathrm{N}=\text { force normal to the plane } \\
& \mu=\text { coefficient of friction }
\end{array}
$$



Sample of Coefficients of Friction

| Material | Static <br> $\mu_{\mathrm{s}}$ | Kinetic <br> $\mu_{\mathrm{k}}$ |
| :--- | :---: | :---: |
| Steel on Steel | 0.74 | 0.57 k |
| Aluminum on Steel | 0.61 | 0.47 |
| Copper on Steel | 0.53 | 0.36 |
| Rubber on Concrete | 1.0 | 0.8 |
| Wood on Wood | $0.25-0.5$ | 0.2 |

Example 1: A 100 pound aluminum block rests on a steel surface. What force will it take to start the block moving? What force will it take to keep the block moving? (Assume constant acceleration.)

$$
\mathrm{F}=\mu \mathrm{N}
$$

$$
\begin{array}{ll}
\text { Static }\left(\mu_{\mathrm{s}}=0.61\right) & \text { Kinetic }\left(\mu_{\mathrm{k}}=0.47\right) \\
\mathrm{F}=0.64 \bullet 100=\underline{64 \mathrm{lbs}} & \mathrm{~F}=0.47 \bullet 100=\underline{47 \mathrm{lbs}}
\end{array}
$$

Example 2: A 100 Kg copper block rests on a $15^{\circ}$ steel ramp. What force will it take to start the block moving down the ramp? What force will it take to start the block moving up the ramp?

$\sin 15^{\circ}=\mathrm{F}_{1} / 100$
$\mathrm{F}_{1}=\sin 15^{\circ} \cdot 100$
$\mathrm{~N}=\cos 15^{\circ} \bullet 100$ $\mathrm{F}_{1}=0.2588 \cdot 100=25.9 \mathrm{Kg}$
$\cos 15=\mathrm{N} / 100$
$\mathrm{N}=\cos 15^{\circ} \cdot 100$ $\mathrm{N}=0.9659 \bullet 100=96.6 \mathrm{Kg}$
$\mu_{\mathrm{s}}$ copper on steel $=0.53$
$\mathrm{F}=\mu \mathrm{N} \quad \mathrm{F}_{\mathrm{T}}=0.53 \bullet 96.6=51.2 \mathrm{Kg}=$ Total force need to start the block moving.

Moving down the ramp $\mathrm{F}_{1}$ works with you

Moving up the ramp
$\mathrm{F}_{1}$ works against you

$$
\mathrm{F}_{2}=51.2-25.9=\underline{25.3 \mathrm{Kg}} \quad \mathrm{~F}_{2}=51.2+25.9=\underline{77.1 \mathrm{Kg}}
$$

## Gravitational Potential Energy

P.E. $=\mathrm{mgh} \quad$ where: $\quad$ P.E. $=$ Potential Energy $\quad \mathrm{m}=$ mass
$\mathrm{G}=$ acceleration of gravity $\mathrm{h}=$ height
Example: What is the potential of a 5 pound box of nails setting on a 20 foot scaffold?
Solve: P.E. $=\mathrm{mgh}$ however: $\mathrm{wt}=\mathrm{mg}$

$$
\text { P.E. }=\mathrm{wt} \bullet \mathrm{~h}=5 \bullet 20=\underline{100 \text { foot-pounds }}
$$

## Elastic Potential Energy

P.E. $=\frac{\mathrm{kx}^{2}}{2}$

$$
\begin{aligned}
\text { where: } \quad \text { P.E. } & =\text { Potential Energy } \\
\mathrm{k} & =\text { spring constant } \quad \mathrm{x}=\text { compression }
\end{aligned}
$$

Example: A heavy spring $(\mathrm{k}=18.75 \mathrm{lbs} / \mathrm{in})$ is compressed 6 in . What is the potential energy contained in the compressed spring?
Solve: First change units to feet: $18.75 \mathrm{lbs} / \mathrm{in} \bullet 12 \mathrm{in} / \mathrm{ft}=225 \mathrm{lbs} / \mathrm{ft}$

$$
6 \mathrm{in}=0.5 \mathrm{ft}
$$

P.E. $=\left(\mathrm{k} \bullet \mathrm{x}^{2}\right) / 2=\left(225 \cdot 0.5^{2}\right) / 2=27.12$ foot-pounds

## Moment Arms - Couples

$\mathrm{F}_{1} \mathrm{D}_{1}=\mathrm{F}_{2} \mathrm{D}_{2} \quad$ where: $\mathrm{F}=$ force $\quad \mathrm{D}=$ distance
Example: A tilt table has the needs to be able to hold 440 Kg . The table is 2.5 m wide and a hydraulic cylinder is attached to the table with a 0.5 m lever arm. With a safety factor of two, what force must the hydraulic cylinder be able to excerpt?

Solve: $\quad F_{1}=440, D_{1}=2.5, F_{2}=?, D_{2}=0.5$
$\mathrm{F}_{2}=(440 \cdot 2.5) / 0.5=2,200 \mathrm{Kg}$
Safety factor of 2: a $\bullet 2=\underline{4,400 \mathrm{Kg}}$

(Since the problem does not address it you must assume the full load at the edge of the table.)

Velocity

$$
\begin{array}{lll}
\mathrm{v}=\mathrm{v}_{0}+\mathrm{at} & \text { where: } & \mathrm{v}=\text { velocity (final) } \\
\mathrm{v}^{2}=\mathrm{v}_{0}^{2}+2 \text { as } & & \mathrm{t}=\text { time } \\
& & \mathrm{a}=\text { initial velocity } \\
& \mathrm{s}=\text { acceleration } &
\end{array}
$$

Example 1: A truck is driving the Interstate at 60 mph . To pass another truck the driver accelerates at $10 \mathrm{ft} / \mathrm{sec}$ for 5 seconds. How fast is the truck going after the 5 seconds? ( $1 \mathrm{mph}=1.467 \mathrm{ft} / \mathrm{sec}$ )

Solve: $\quad 60 \mathrm{mph} \bullet 1.467=88 \mathrm{ft} / \mathrm{sec}$.
$\mathrm{v}=\mathrm{v}_{0}+\mathrm{at}=88+(5 \cdot 5)=88+25=113 \mathrm{ft} / \mathrm{sec}$.
$113 \mathrm{ft} / \mathrm{sec} / 1.467=\underline{77 \mathrm{mph}}$.
Example 2: During an argument over time spent at home, a 5.5 kg bowling ball get tossed out of a 3rd story townhouse window. The window is 6 meters above ground level. How fast was the bowling ball traveling when it hit the ground?

Solve: Acceleration due to gravity $=9.8 \mathrm{~m} / \mathrm{sec}^{2} \quad \mathrm{v}_{0}=0$

$$
\begin{aligned}
& \mathrm{v}^{2}=\mathrm{v}_{0}^{2}+2 \mathrm{as}=0+(2 \bullet 9.8 \bullet 6)=117.6 \\
& \mathrm{v}=(117.6)^{0.5}=\underline{10.8 \mathrm{~m} / \mathrm{sec} .}
\end{aligned}
$$

## Force, Momentum, and Work

$$
\begin{array}{llll}
\mathrm{p}=\mathrm{mv} & \text { where: } \mathrm{p}=\text { momentum } & \mathrm{m}=\text { mass } & \mathrm{v}=\text { velocity } \\
\mathrm{F}=\mathrm{ma} & \mathrm{~F}=\text { force } & \mathrm{a}=\text { acceleration } & \\
\mathrm{W}=\mathrm{Fs} & \mathrm{~W}=\text { work } & \mathrm{s}=\text { distance } &
\end{array}
$$

Example 1: A 2,000 pound car is traveling at 45 mph . What is its momentum?
Solve: $\quad \mathrm{m}=$ weight $/$ gravity $=2,000 / 32.2=62.1 \mathrm{lbs} \mathrm{sec}^{2} / \mathrm{ft}$
Convert v into ft/sec: $1.467 \bullet 45=66 \mathrm{ft} / \mathrm{sec}$
$\mathrm{p}=\mathrm{mv}=62.1 \cdot 66=\underline{4,098.6 \mathrm{lbs}-\mathrm{sec}}$
Example 2: Same 2,000 pound car is traveling at 45 mph and then decelerates at a rate of $3 \mathrm{ft} / \mathrm{sec}^{2}$. What is the braking force that is applied?
Solve: $\quad \mathrm{m}=62.1 \mathrm{lbs} \mathrm{sec}^{2} / \mathrm{ft}$
$\mathrm{F}=\mathrm{ma}=62.1 \cdot 3=\underline{186.3 \mathrm{lbs}}$.
Example 3: A student has 5 kg of books to carry to class. The distance from the parking lot to the classroom is 220 m . How much work is preformed?
Solve: $\quad \mathrm{W}=\mathrm{Fs}=5 \bullet 220=1,100 \mathrm{Kg}-\mathrm{m}$ (needs to be in joules $[1$ joule $=9.806 \mathrm{Kg}-\mathrm{m}]$ )

$$
1,100 / 9.806=\underline{112.2 \text { joules }}
$$

## Kinetic Energy

```
            \(\mathrm{mv}^{2} \quad\) where: K.E. \(=\) kinetic energy
```

K.E. $=-------$

2
$\mathrm{m}=$ mass
$\mathrm{v}=$ velocity

Example: What is the kinetic energy of a 2,000 pound car is traveling at 45 mph ?
Solve: $\quad \mathrm{m}=62.1 \mathrm{lbs} \sec ^{2} / \mathrm{ft} \quad \mathrm{v}=66 \mathrm{ft} / \mathrm{sec}$

$$
\text { K.E. }=\left(62.1 \cdot 66^{2}\right) / 2=\underline{135,254 \mathrm{lbs}}
$$

## HEAT STRESS

http://www.osha.gov/dts/osta/otm/otm_iii/otm_iii_4.html
$\mathrm{WBGT}=0.7 \mathrm{WB}+0.3 \mathrm{GT} \quad$ (Indoors; no solar heat load)
$\mathrm{WBGT}=0.7 \mathrm{WB}+0.2 \mathrm{BT}+0.1 \mathrm{DB}$ (Outdoors; with solar heat load)
where: $\quad \mathrm{WBGT}=$ Wet Bulb Globe Temperature Index
WB $=$ (Nature) Wet-Bulb Temperature
GT = Globe Temperature
DB = Dry-Bulb Temperature

## VENTILATION

http://www.airhand.com/industrial-ventilation.asp

## Air Movement

$\mathrm{Q}=\mathrm{AV} \quad$ where: $\quad \mathrm{Q}=$ volume of air moving at a specific point
$A=$ area at a specific point
$\mathrm{V}=$ velocity of air moving at a specific point
Example 1: The capture velocity of air at the back of a paint booth needs to be $100 \mathrm{ft} / \mathrm{min}$. The filter opening for the exhaust air measures 18 by 24 inches. What volume of air needs to be moved to meet the capture velocity?

Solve: $\mathrm{Q}=(1.5 \cdot 2) \cdot 100=\underline{300 \mathrm{ft}^{3}} / \underline{\mathrm{min}}$.
Example 2: What is the velocity of air 12 cm from the opening of a 24 cm diameter duct, given the volume of air being moved is $20 \mathrm{~m}^{3} / \mathrm{sec}$. [An IH fact: at $50 \%$ of the diameter, the velocity of air is only $30 \%$ of that at the opening.]

Solve: Think of the end of a pipe. If you pull a suction through the air entering the pipe comes from all directions. It has been found the air entering the pipe come from the surface a sphere $x$ distance from the opening.

Now surface area of a sphere is $\mathrm{A}=4 \pi \times 2=4 \bullet 3.14 \bullet(0.24)^{2}=0.72 \mathrm{~m}^{2}$
$\mathrm{Q}=\mathrm{AV}$ or $\mathrm{V}=\mathrm{Q} / \mathrm{A}$
$\mathrm{V}=20 / 0.72=27.78 \mathrm{~m} / \mathrm{sec}$.
(a) 12 cm only $30 \%$ effective: $\mathrm{V}_{12}=.3 \cdot 27.78=\underline{8.33 \mathrm{~m} / \mathrm{sec} \text {. }}$

## Velocity Pressure

$\mathrm{V}=4005 \sqrt{\mathrm{VP}} \quad$ where: $\quad \mathrm{V}=$ velocity
$\mathrm{VP}=$ velocity pressure
Example: A manometer is used to measure the pressure at a point in a duct. It measured 1.15 in $\mathrm{H}_{2} \mathrm{O}$. What is the air velocity at the point? (This assumes a standard day.)

Solve: $\quad V=4005 \mathrm{sqr}(\mathrm{VP})=4005 \bullet(1.15)^{0.5}=\underline{4,295 \mathrm{ft} / \mathrm{min}}$.

## Hoods

$\mathrm{V}=4005 \mathrm{C}_{\mathrm{e}} \sqrt{\mathrm{SP}_{\mathrm{h}}}$

$$
\begin{array}{ll}
\text { where: } & \mathrm{V}=\text { velocity } \\
& \mathrm{C}_{\mathrm{e}}=\text { coefficient of entry for a hood } \\
& \mathrm{SP}_{\mathrm{h}}=\text { hood static pressure }
\end{array}
$$

Example: A hood in a plating shop has a 0.65 coefficient of entry. The static pressure measured at the face of the hood is 1.15 in $\mathrm{H}_{2} \mathrm{O}$. What is the air velocity at the face? (This assumes a standard day.)
Solve: $\quad \mathrm{V}=4005 \mathrm{C}_{\mathrm{e}} \mathrm{sqr}\left(\mathrm{SP}_{\mathrm{h}}\right)=4005 \bullet 0.65 \bullet(1.15)^{0.5}=\underline{2,792 \mathrm{ft} / \mathrm{min}}$.
$\mathrm{TP}=\mathrm{SP}+\mathrm{VP} \quad$ where: $\quad \mathrm{TP}=$ total pressure
$\mathrm{SP}=$ static pressure
$\mathrm{VP}=$ velocity pressure

## RADIATION

http://www.st-andrews.ac.uk/services/safety/webpages/radiation/6.html\#6.1.1
$\left(d_{1}\right)^{2}$
$\mathrm{I}_{2}=\mathrm{I}_{1}------$

$$
\begin{array}{ll}
\text { where: } & \mathrm{I}_{1}=\text { radiation exposure at } \mathrm{d}_{1} \\
& \mathrm{I}_{2}=\text { radiation exposure at } \mathrm{d}_{2} \\
& \mathrm{~d}_{1}, \mathrm{~d}_{2}=\text { distance from radiation source }
\end{array}
$$

Example: A radiation source produces a 500 mR at 18 inches. What is the exposure at 10 ft ?
Solve: $\quad \mathrm{I}_{2}=500 \bullet(1.52 / 102)=500 \bullet(2.25 / 100)=\underline{11.25 \mathrm{mR}}$.
$S \approx 6 \mathrm{CE} \quad$ where: $\mathrm{S}=\mathrm{R} / \mathrm{hr}$ (at 1 foot)

$$
\begin{aligned}
& C=\text { strength of source in curies } \\
& E=\text { energy of gamma-radition }
\end{aligned}
$$

Example: What radiation read would be expected at a distance of 1 foot from an unshielded 100 millicurie cobalt-60 source? [Given $\mathrm{E}=2.5 \mathrm{MeV}$ ]

Solve: $\quad S \approx 6 \cdot 0.1 \cdot 2.5=\underline{1.5 \mathrm{R} / \mathrm{hr}}$.

## ENGINEERING ECONOMICS

## Future and Present Value of Money

http://www.investopedia.com/articles/03/082703.asp

$$
\begin{array}{lll}
\mathrm{F}=\mathrm{P}(1+\mathrm{i})^{\mathrm{n}} & \text { where: } & \mathrm{F}=\text { future value } \\
\mathrm{P}=\mathrm{F}(1+\mathrm{i})^{-\mathrm{n}} & & \mathrm{P}=\text { interest }
\end{array}
$$

Example 1: You invest $\$ 1,000$ today at $10 \%$ per year for 10 years compounded monthly. What is the value of you investment at the end of the 10 years?
Solve: Compounded monthly: $\mathrm{i}=0.1 / 12=0.00833 \quad \mathrm{n}=10 \bullet 12=120$

$$
\mathrm{F}=\mathrm{P}(1+\mathrm{i})^{\mathrm{n}}=1,000 \bullet(1+0.00833)^{120}=1,000 \cdot 2.707=\underline{\$ 2,707}
$$

Example 2: Congratulations you won the lottery with a total value of $\$ 15$ million paid in equal yearly payments over 25 years. Assuming an interest $4 \%$ per year how much is your winnings worth in today's money?
Solve: $\quad P=F(1+i)^{-n}=15,000,000 \bullet(1+0.04)^{-25}=15,000,000 \bullet 0.2953=\underline{\$ 4,430,000}$

## NOISE

## Sound Power Levels

http://www.ccohs.ca/oshanswers/phys_agents/noise_basic.html
$\mathrm{L}_{\mathrm{w}}=10 \log _{10}-\ldots$

$$
\begin{aligned}
\text { where: } & \mathrm{L}_{\mathrm{w}}=\text { sound power level in } \mathrm{dB} \\
& \mathrm{~W}=\text { sound power measured in watts } \\
& \mathrm{W}_{0}=\text { reference sound power }=10^{-12} \text { watt (picowatt) }
\end{aligned}
$$

Example: A noise source produces 8 micro Watts $(\mu \mathrm{W})$. What is the sound level in dB ?
Solve: $\quad L_{w}=10 \log _{10}\left(0.000008 / 10^{-12}\right)=10 \log _{10}(8 \bullet 106)=10 \bullet 6.9=\underline{69 \mathrm{~dB}}$.

## Sound Pressure Levels

http://www.sfu.ca/sonic-studio/handbook/Sound_Pressure_Level.html

where: $\quad L_{P}=$ sound pressure level
$\mathrm{p}=$ sound pressure measured in Pa
$\mathrm{p}_{0}=$ reference sound pressure $=2 \bullet 10^{-5} \mathrm{~Pa}(20 \mu \mathrm{~Pa})$
Example: A typical gasoline-powered lawn mower produces 1 Pa of sound pressure. What is the sound level in dB?
Solve: $L_{p}=20 \log _{10}\left[1 /\left(2 \cdot 10^{-5}\right)\right]=20 \log _{10}(50,000)=20 \bullet 4.7=\underline{94 \mathrm{~dB}}$.

## Time Weighted Average

http://www.osha-slc.gov/dts/osta/otm/otm_iii/otm_iii_5.html
$\mathrm{TWA}_{8}=\left[\left(\mathrm{dB}_{1} \bullet \mathrm{t}_{1}\right)+\left(\mathrm{dB}_{2} \bullet \mathrm{t}_{2}\right)+\ldots+\left(\mathrm{dB}_{\mathrm{n}} \bullet \mathrm{t}_{\mathrm{n}}\right)\right] / 8$
where: $\quad \mathrm{dB}_{1}, \mathrm{~dB}_{2}, \ldots \mathrm{~dB}_{\mathrm{n}}=$ sound in dB at $\mathrm{t}_{1}, \mathrm{t}_{2}, \ldots \mathrm{t}_{\mathrm{n}}$
$\mathrm{t}_{1}, \mathrm{t}_{2}, \ldots \mathrm{t}_{\mathrm{n}}=$ time (duration)
Example: An employee performs several tasks during the course of his / her working day. The duration and the noise level associated with each task are listed below. What is the TWA the worker experiences during the shift?

Exposure Level
a) Operation of pneumatic hammer. 1 hr .100 dBa
b) Operation of surface grader. 4 hrs .91 dBa
c) Operation of street cleaner. 2 hrs .93 dBa
d) Using sand blaster. $1 / 3 \mathrm{hrs} 112 \mathrm{dBa}$
e) Operating riding mower. $2 / 3 \mathrm{hrs} .101 \mathrm{dBa}$

Solve: $\quad$ TWA $_{8}=[(100 \bullet 1)+(91 \bullet 4)+(93 \bullet 2)+(112 \bullet 0.333)+(101 \bullet 0.667)] / 8$

$$
\text { TWA }_{8}=[100+364+186+37.33+67.33] / 8=754.67 / 8=\underline{94.3 \mathrm{dBa}} .
$$

## Reference Duration

http://www.osha.gov/pls/oshaweb/owadisp.show_document?p_table=STANDARDS\&p_id=9736

$$
\begin{array}{ll}
\mathrm{T}=\underset{2^{[(\mathrm{L}-90) / 5]}}{ } \quad \text { where: } & \mathrm{T}=\text { Reference duration, (hour) } \\
& \mathrm{L}=\text { A-weighted sound level, (decibel) }
\end{array}
$$

Example: using the same exposures above, what is the reference duration for each?
Exposure Level
a) Operation of pneumatic hammer. 100 dBa
b) Operation of surface grader. 91 dBa
c) Operation of street cleaner. 93 dBa
d) Using sand blaster. 112 dBa
e) Operating riding mower. 101 dBa

Solve: $\quad[(\mathrm{L}-90) / 5]=[(100-90) / 5]=2$

$$
\mathrm{T}_{100}=8 / 2^{[2]}=8 / 4=\underline{2 \mathrm{hrs}} .
$$

$$
\text { Similarly } \quad \mathrm{T}_{91}=8 / 2^{[0.2]}=6.96 \text { hrs. } \quad \mathrm{T}_{93}=8 / 2^{[0.6]}=5.28 \text { hrs. }
$$

$$
\mathrm{T}_{112}=8 / 2^{[4.4]}=0.38 \mathrm{hrs} . \quad \mathrm{T}_{101}=8 / 2^{[2.2]}=1.74 \mathrm{hrs} .
$$

## Dose

http://www.oshanoise.com/osha_standard.html

where: $\quad \mathrm{C}_{1}, \mathrm{C}_{2}, \ldots \mathrm{C}_{\mathrm{n}}=$ exposure in dB
$T_{1}, T_{2}, \ldots T_{n}=$ reference duration for $C_{1}, C_{2}, \ldots C_{n}$
Example: An employee performs several tasks during the course of his / her working day. The duration and the noise level associated with each task are listed below:

Exposure Level
a) Operation of pneumatic hammer. 1 hr .100 dBa
b) Operation of surface grader. 4 hrs .91 dBa
c) Operation of street cleaner. 2 hrs .93 dBa
d) Using sand blaster. $1 / 3 \mathrm{hrs} 112 \mathrm{dBa}$
e) Operating riding mower. $2 / 3 \mathrm{hrs} .101 \mathrm{dBa}$

Solve: Use T values from precious example

$$
\begin{aligned}
& \mathrm{D}=100 \bullet[(100 / 2)+(91 / 6.96)+(93 / 5.28)+(112 / 0.38)+(101 / 1.74)] \\
& \mathrm{D}=100 \bullet[50+13.07+17.61+294.7+58.05]=\underline{433.5 \%}
\end{aligned}
$$

## Decibel Difference $\Delta \mathrm{dB}$

http://www.sfu.ca/sonic-studio/handbook/Inverse-Square_Law.html

$$
\begin{aligned}
& \mathrm{dB}_{1}-\mathrm{dB}_{0}=20 \log _{10}\left[\begin{array}{c}
\mathrm{d}_{0} \\
----- \\
-\mathrm{d}_{1}-
\end{array}\right. \\
& \text { where: } \quad \mathrm{dB}_{0}=\text { noise exposure at } \mathrm{d}_{0} \\
& \mathrm{~dB}_{1}=\text { noise exposure at } \mathrm{d}_{1} \\
& \mathrm{~d}_{0}, \mathrm{~d}_{1}=\text { distance from noise source }
\end{aligned}
$$

Example: A noise source produces 112 dBa at 18 inches. What is the exposure at 10 ft ?
Solve: $\quad \mathrm{dB}_{1}=112+20 \log _{10}(1.5 / 10)=112+20 \log _{10}(0.15)=112+(20 \bullet-0.824)=\underline{95.5 \mathrm{~dB}}$.
Time-weighted average (with the noise level constant over the entire shift)
http://www.osha.gov/pls/oshaweb/owadisp.show_document?p_table=STANDARDS\&p_id=9736
$\mathrm{TWA}=16.61 \log _{10}\left[\begin{array}{c}\mathrm{D} \\ ---- \\ \underline{100}\end{array}\right]+90 \quad$ where: $\mathrm{D}=\operatorname{dose}$ (percent noise exposure)
Example: A disk jockey works at a disco and experiences 98 dBa constantly over the entire shift. What is the TWA?

Solve: First: $\mathrm{T}: \mathrm{T}_{98}=8 / 2^{[98-90) / 5]}=8 / 2^{[1.6]}=8 / 3.03=\underline{2.64 \mathrm{hrs}}$.
Next: D: $\mathrm{D}=100 \bullet(98 / 2.64)=37.1 \%$
Now TWA $=16.61 \log _{10}(37.1 / 100)+90=(16.61 \bullet-0.43)+90=\underline{82.8 \mathrm{dBa}}$

## ELECTRICITY

## Ohm's Law

http://www.the12volt.com/ohm/ohmslaw.asp
$\mathrm{V}=\mathrm{IR} \quad \mathrm{P}=\mathrm{VI} \quad$ and therefore $\quad \mathrm{P}=\mathrm{I}^{2} \mathrm{R}$
where: $\quad \mathrm{V}=$ voltage in volts $(\mathrm{V}) \quad \mathrm{I}=$ current in $\operatorname{amps}(\mathrm{A})$
$\mathrm{R}=$ resistance in ohms $(\Omega) \quad \mathrm{P}=$ power in watts $(\mathrm{W})$

Example 1: A lamp in your U.S. home has a resistance of 6 ohms. What current does it draw? And how much power does it use?

Solve: $I=V / R=120 / 6=\underline{20 \mathrm{amps}}$

$$
\mathrm{P}=20^{2} \cdot 6=2,400 \text { watts } \quad \text { or } \quad \mathrm{P}=120 \bullet 20=2,400 \text { watts }
$$

Example 2: A lamp in your European home has a resistance of 6 ohms. What current does it draw? And how much power does it use?

Solve: $I=V / R=240 / 6=\underline{40 \mathrm{amps}}$

$$
\mathrm{P}=40^{2} \bullet 6=9,600 \text { joules } \quad \text { or } \quad \mathrm{P}=240 \bullet 40=9,600 \text { joules }
$$

## Total Resistance

$\mathrm{R}_{\text {series }}=\mathrm{R}_{1}+\mathrm{R}_{2}+\cdots+\mathrm{R}_{\mathrm{n}}$
where: $\quad R_{1}, R_{2}, R_{n}=$ resistance in ohms ( $\Omega$ )
Example: You have 4 resistors: 1 is $8^{\prime} \Omega, 2$ are $10^{\prime} \Omega$, and 1 is $15^{\prime} \Omega$. What is the total resistance if they are wired in series? What is the total resistance if they are wired in parallel?

Solve: $\quad R_{\text {series }}=8+10+10+15=\underline{43 \text { ohms }}$

$$
\begin{aligned}
& 1 / \mathrm{R}_{\text {parallel }}=(1 / 8)+(1 / 10)+(1 / 10)+(1 / 15)=0.125+0.1+0.1+0.067=\underline{0.39 \mathrm{ohms}} \\
& 1 / \mathrm{R}_{\text {parallel }}=1 / 0.39 \quad \mathrm{R}_{\text {parallel }}=\underline{2.56 \mathrm{ohms}}
\end{aligned}
$$

## CONCENTRATIONS OF VAPORS AND GASES

## Conversion

http://www.ccohs.ca/oshanswers/chemicals/convert.html
$\mathrm{ppm}=\frac{\mathrm{mg} / \mathrm{m}^{3} \cdot 24.45}{\mathrm{MW}}$
where: $\quad \mathrm{ppm}=$ parts per million
MW = molecular weight
24.45 is a constant

Example: You have a sample of Hydrogen Sulfide, $\mathrm{H}_{2} \mathrm{~S}$, with a reading of $43 \mathrm{mg} / \mathrm{m}^{3}$ ? What is the equivalent parts per million? [MW of $\mathrm{H}_{2} \mathrm{~S}$ is $34.08 \mathrm{~g} / \mathrm{mol}$ ]

Solve: $\quad \mathrm{ppm}=(43 \mathrm{24.45}) / 34.08=\underline{30.85 \mathrm{ppm}}$

## Mixtures

http://www.workplacegroup.net/article-exp-lmts-mixt.htm
1
$\mathrm{TLV}_{\mathrm{m}}=$

where: $\mathrm{TLV}_{\mathrm{m}}, \mathrm{TLV}_{1}, \mathrm{TLV}_{2}, \mathrm{TLV}_{\mathrm{n}}=$ Threshold Limit Values
$f_{1}, f_{2}, f_{n}=$ fraction of TLV
Example: Consider the measurements below from a workplace atmosphere that contained methyl ethyl ketone, toluene, methanol, and 2-butoxyethanol. All are identified as affecting the central nervous system.

| Chemical | TLV <br> (8-hr TWA) | Measured <br> Concentration <br> (8-hr TWA) |
| :--- | :---: | :---: |
| 2-Butoxyethanol | 20 ppm | 5 ppm |
| Methanol | 200 ppm | 60 ppm |
| Methyl Ethyl Ketone | 200 ppm | 40 ppm |
| Toluene | 50 ppm | 20 ppm |

Solve: First find the fraction of TLV for each chemical. $f=$ measured $/$ TLV

$$
\begin{array}{lll}
\mathrm{f}_{1}, 2 \text {-Butoxyethanol } & =5 / 20 & =0.25 \\
\mathrm{f}_{2}, \text { Methanol } & =60 / 200=0.3 \\
\mathrm{f}_{3}, \text { Methyl Ethyl Ketone } & =40 / 200=0.2 \\
\mathrm{f}_{4}, \text { Toluene } & =20 / 50=0.4
\end{array}
$$

NOTE: No individual chemical exceeded its TLV. But, the sum of all f's is greater than 1. This indicates the mixture is above its TLV.
$\operatorname{TLV}_{\mathrm{m}}=1 /[(0.25 / 20)+(0.3 / 200)+(0.2 / 200)+(0.4 / 50)]$
$\operatorname{TLV}_{\mathrm{m}}=1 /[(0.0125)+(0.0015)+(0.001)+(0.008)]=1 / 0.023$
$\mathrm{TLV}_{\mathrm{m}}=\underline{43.48 \mathrm{ppm}}$

## GAS LAWS

## The Ideal Gas Law

http://www.chemistry.ohio-state.edu/betha/nealGasLaw/
$\mathrm{pV}=\mathrm{nRT} \quad$ where: $\quad \mathrm{p}=$ pressure in atm $\quad \mathrm{V}=$ volume in L
$\mathrm{n}=$ number of moles $\quad \mathrm{T}=$ temperature in K
$\mathrm{R}=0.0821 \mathrm{~L} \mathrm{~atm} \mathrm{~mol}^{-1} \mathrm{~K}^{-1}(\mathrm{R}=$ gas constant $)$

Example: Two moles of oxygen and one mole of nitrogen are contained in a cylinder with a volume of 10.0 L at $298^{\circ} \mathrm{K}$. What is the total pressure? What is the partial pressure of oxygen?

Solve: $\quad \mathrm{p}=\mathrm{nRT} / \mathrm{V}=\left(\mathrm{n}_{\mathrm{O} 2}+\mathrm{n}_{\mathrm{N} 2}\right) \mathrm{RT} / \mathrm{V}=[(2+1) \bullet 0.0821 \bullet 298] / 10=\underline{7.34 \mathrm{~atm}}$.

$$
\mathrm{p}_{\mathrm{O} 2}=\mathrm{n}_{\mathrm{O} 2} \mathrm{RT} / \mathrm{V}=[2 \bullet 0.0821 \bullet 298] / 10=\underline{4.89 \mathrm{~atm}} .
$$

## Combined Gas Law

http://www.chemtutor.com/gases.htm
$\frac{P_{1} V_{1}}{------}=\frac{P_{2} V_{2}}{T_{1}}=-----\quad T_{2}$

$$
\begin{array}{lll}
\text { where: } & \mathrm{P}_{1}, \mathrm{P}_{2}=\text { pressure } & \mathrm{V}_{1}, \mathrm{~V}_{2}=\text { volume } \\
& \mathrm{T}_{1}, \mathrm{~T}_{2}=\text { temperature } &
\end{array}
$$

Other Gas Laws: Boyle's Law: $\mathrm{P}_{1} \mathrm{~V}_{1}=\mathrm{P}_{2} \mathrm{~V}_{2} \quad$ Charles' Law: $\mathrm{V}_{1} / \mathrm{T}_{1}=\mathrm{V}_{2} / \mathrm{T}_{2}$
Gay Lussac's Law: $\mathrm{P}_{1} / \mathrm{T}_{1}=\mathrm{P}_{2} / \mathrm{T}_{2} \quad$ Avogadro's Hypothesis: $\mathrm{V}_{1} / \mathrm{n}_{1}=\mathrm{V}_{2} / \mathrm{n}_{2}$
Example 1: A gas occupies a volume of 20 L at a pressure of 5 atm and a temperature of 500 K . What will the volume be if both the pressure is raised to 10 atm and temperature is changed to 250K?

Solve: $\quad V_{2}=P_{1} V_{1} T_{2} / T_{1} P_{2}$
$\mathrm{V}_{2}=(5 \cdot 20 \cdot 250) /(500 \cdot 10)$
$\mathrm{V}_{2}=25,000 / 5,000=\underline{5 \mathrm{~L}}$

| Given: | $\mathrm{P}_{1}=5 \mathrm{~atm}$ | $\mathrm{P}_{2}=10 \mathrm{~atm}$ |
| :--- | :--- | :--- |
|  | $\mathrm{~V}_{1}=20 \mathrm{~L}$ | $\mathrm{~V}_{2}=?$ |
|  | $\mathrm{~T}_{1}=500 \mathrm{~K}$ | $\mathrm{~T}_{2}=250 \mathrm{~K}$ |

Example 2: A gas occupies a volume of 200 liters at a temperature of 300 K . What will be the volume if the temperature is changed to 1000 K ?

Solve: $\quad V_{2}=V_{1} T_{2} / T_{1}$ (Charles' Law)

$$
\mathrm{V}_{2}=25,000 / 5,000=\underline{666.7 \mathrm{~L}}
$$

$$
\begin{array}{lll}
\text { Given: } & \mathrm{P}_{+}= & \mathrm{P}_{z}= \\
& \mathrm{V}_{1}=200 \mathrm{~L} & \mathrm{~V}_{2}=? \\
& \mathrm{~T}_{1}=300 \mathrm{~K} & \mathrm{~T}_{2}=1000 \mathrm{~K}
\end{array}
$$

Example 3: A gas occupies a volume of 200 liters at a pressure of 2 atm . What will be the volume if both the pressure is raised to 10 atm ?

$$
\begin{array}{llll}
\text { Solve: } & \mathrm{V}_{2}=\mathrm{P}_{1} \mathrm{~V}_{1} / \mathrm{P}_{2} \text { (Boyle's Law) } & \text { Given: } & \mathrm{P}_{1}=2 \mathrm{~atm} \\
\mathrm{~V}_{2}=(200 \cdot 2) / 10 & & \mathrm{P}_{2}=10 \mathrm{~atm} \\
& \mathrm{~V}_{1}=200 \mathrm{~L} & \mathrm{~V}_{2}=? \\
\mathrm{~V}_{2}=\underline{40 \mathrm{~L}} & \mathrm{~F}_{4}= & \mathrm{F}_{2}=
\end{array}
$$

## RELIABILITY

## Exponential Distribution

http://www.weibull.com/SystemRelWeb/analytical_life_predictions.htm
$\mathrm{P}_{\mathrm{f}}=1-\mathrm{R}(\mathrm{t}) \quad$ where: $\quad \mathrm{P}_{\mathrm{f}}=$ probability of failure $\quad \mathrm{P}_{\mathrm{s}}=$ probability of success
$R(t)=e^{-\lambda \tau}$
$\mathrm{P}_{\mathrm{f}}=\left(1-\mathrm{P}_{\mathrm{s}}\right)$

$$
\mathrm{R}(\mathrm{t})=\text { reliability over time } \mathrm{t}
$$

$\lambda=$ failure rate

$$
\tau=\text { time }
$$

Example: For a system, the probability of failure is 1 in 10,000 in one year ( 8,760 hours). What is the failure rate? What is the probability of success?

Solve: First: $\mathrm{P}_{\mathrm{f}}=1-\mathrm{R}(\mathrm{t})$
$R(t)=1-\mathrm{P}_{\mathrm{f}}=1-(1 / 10,000)=0.9999$
Next: R $\mathrm{R}(\mathrm{t})=\mathrm{e}^{-\lambda \tau} \quad 0.9999=\mathrm{e}^{(-\lambda \bullet 8,760)}$
$\ln (0.9999)=-\lambda \bullet 8,760 \quad-0.0001=-\lambda \bullet 8,760$
$\lambda=0.0001 / 8,760=\underline{0.00000001142}$
$\mathrm{P}_{\mathrm{f}}=\left(1-\mathrm{P}_{\mathrm{s}}\right) \quad \mathrm{P}_{\mathrm{s}}=1-\mathrm{P}_{\mathrm{f}}=1-(1 / 10,000)=\underline{0.9999}$

## Molecular Weight - Selected Chemicals

msds jtbaker

|  | MW | sp.gr. | density |
| :---: | :---: | :---: | :---: |
| Aluminum $=\mathrm{Al}$ | 26.981538 |  |  |
| Argon $=$ Ar | 39.948 | 1.378 | 1.784 <br> g /litre |
| Acetone |  |  |  |
| Carbon dioxide $=\mathrm{CO}_{2}$ | 44.010 | 1.522 | $\begin{aligned} & 1.977 \\ & \mathrm{~kg} / \mathrm{m}^{3} \end{aligned}$ |
| Carbon Disulfide $=\mathrm{CS}_{2}$ | 76.131 |  |  |
| Chlorine $=\mathrm{Cl}_{2}$ | 70.906 | 2.473 | 3.214 <br> $\mathrm{g} /$ litre |
| dichloroethylsulphide ()= |  |  |  |
| Ethyl Alcohol (ethanol, grain alcohol) $=\mathrm{C}_{2} \mathrm{H}_{5} \mathrm{OH}$ | 46.069 | 0.789 |  |
| Fluorine $=\mathrm{F}_{2}$ | 37.999 | 1.312 | $1.696 \mathrm{~g} / \mathrm{L}$ |
| Formaldehyde $=\mathrm{HCHO}$ |  |  | 1.08 |
| Gold $=\mathrm{Au}$ | 196.96655 |  |  |
| Hexane (Hexanes) $=\mathrm{C}_{6} \mathrm{H}_{14}\left(\mathrm{CH}_{3}\left(\mathrm{CH}_{2}\right)_{4} \mathrm{CH}_{3}\right)$ | 86.177 |  |  |
| Hydrochloric acid (Hydrogen Chloride) $=\mathrm{HCl}$ | 36.461 |  |  |
| Hydrogen $=\mathrm{H}_{2}$ | 2.01588 | 0.0696 | $0.08988 \mathrm{~g} / 1$ |
| Krypton $=\mathrm{Kr}$ | 83.8 | 2.899 |  |
| Methyl Ethyl Ketone (2-Butanone) $=\mathrm{C}_{4} \mathrm{H}_{8} \mathrm{O}\left(\mathrm{CH}_{3} \mathrm{COCH}_{2} \mathrm{CH}_{3}\right)$ | 72.107 |  |  |
| Methylene Chloride (Dichloromethane) $=\mathrm{CH}_{2} \mathrm{Cl}_{2}$ | 84.933 |  |  |
| Mercury $=\mathrm{Hg}$ | 200.590 |  |  |
| Neon $=$ Ne | 20.1797 | 0.696 |  |


| Nitrogen $=\mathrm{N}_{2}$ | 28.01348 | 0.967 |  |
| :--- | :--- | :--- | :--- |
| Oxygen $-\mathrm{O}_{2}$ | 31.9988 | 1.105 |  |
| POTASSIUM CHLORATE (Potash chlorate; chloric acid) $=$ <br> $\mathrm{KClO}_{3}$ | 122.549 | 2.3 |  |
| Silver $=\mathrm{Ag}$ | 148.2276 |  |  |
| Sulphuric Acid (Oil of Vitriol $)=\mathrm{H}_{2} \mathrm{SO}_{4}$ | 98.073 |  |  |
| Toluene (Methylbenzene) $=\mathrm{C}_{7} \mathrm{H}_{8}\left(\mathrm{C}_{6} \mathrm{H}_{5}-\mathrm{CH}_{3}\right)$ | 92.140 |  |  |
| Trichloroethylene (Acetylene Trichloride $)=\mathrm{C}_{2} \mathrm{HCl}_{3}$ | 131.389 |  |  |
| Water $=\mathrm{H}_{2} \mathrm{O}$ | 18.015 |  |  |
| Xylenes $($ Dimethyl benzene $)=\mathrm{C}_{8} \mathrm{H}_{10}\left(\mathrm{C}_{6} \mathrm{H}_{4}\left(\mathrm{CH}_{3}\right)_{2}\right)$ | 106.167 |  |  |

Methane $=\mathrm{CH}_{4} \approx 75 \% \mathrm{CH}_{4}+15 \%$ ethane $\left(\mathrm{C}_{2} \mathrm{H}_{6}\right)+5 \%$ propane $\left(\mathrm{C}_{3} \mathrm{H}_{8}\right)+5 \%$ butane $\left(\mathrm{C}_{4} \mathrm{H}_{10}\right)$ $\mathrm{MW}=16 \quad 0.554$
dichloroethylsulphide Mustard gas is the common name given to 1,1-thiobis(2-chloroethane), a chemical warfare agent that is believed to have first been used near Ypres in Flanders on 12th July 1917. Its chemical formula is $\mathrm{Cl}-\mathrm{CH}_{2}-\mathrm{CH}_{2}-\mathrm{S}_{-} \mathrm{CH}_{2}-\mathrm{CH}_{2}-\mathrm{Cl}$

|  | 72.11 |  | 36.46 |
| :--- | :---: | :--- | :---: |
|  | 86.17 |  | 200.59 |
|  | 92.14 |  | 122.549 |
| $\mathrm{C}_{4} \mathrm{H}_{8} \mathrm{Cl}_{2} \mathrm{~S}$ | 159.073 |  | 28.01 |
|  | 106.16 |  | NaCl |
|  | 84.93 |  | 58.443 |
| $\mathrm{Cl}_{2}$ | 70.906 |  | 20.18 |
|  | 44.01 | Pb | 32.00 |
|  | 76.14 | Air | 28.900 |

Formaldehyde properties 28.98

## Xenon

Xe

